

# Higgs-Kopplungen

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INSTITUTE FOR THEORETICAL PHYSICS



How well can we determine the SM Higgs couplings?

Can we distinguish a non-Standard-Model-like Higgs sector?

- Theory: **Standard Model plus free Higgs couplings**

Couplings from modified version of HDecay

[Djouadi, Kalinowski, Mühlleitner, Spira]

- For Higgs couplings present in the Standard Model  $x = W, Z, t, b, \tau$   

$$g_{xxH} \equiv g_x \longrightarrow g_x^{\text{SM}} (1 + \Delta_x) \quad (\rightarrow \Delta = -2 \text{ means sign flip})$$
- For loop-induced Higgs couplings  $x = \gamma, g$   

$$g_x \longrightarrow g_x^{\text{SM}} (1 + \Delta_x^{\text{SM}} + \Delta_x)$$

where  $g_x^{\text{SM}}$ : (loop-induced) coupling in the Standard Model

$\Delta_x^{\text{SM}}$ : contribution from modified tree-level couplings  
to Standard-Model particles

$\Delta_x$  : additional (dimension-five) contribution

- Ratios  $\frac{g_x}{g_y} = \frac{g_x^{\text{SM}}}{g_y^{\text{SM}}} (1 + \Delta_{x/y})$
- Neglecting couplings only available from high-luminosity analyses  
 $(g_\mu, g_{HZ\gamma}^{\text{eff}}, g_{HHH}, g_{HHHH})$
- $\Delta_H$ : single parameter modifying all (tree-level) couplings
- Total width

$$\Gamma_{\text{tot}} = \Sigma_{\text{obs}} \Gamma_x < 2 \text{ GeV} \quad (\text{plus generation universality})$$

- Electro-weak corrections not yet relevant  
for later consistency: QCD corrections scale with couplings, EW ones not

## Algorithms:

- Weighted Markov chain
- Cooling Markov chain ( $\sim$  simulated annealing)
- Modified gradient fit (Minuit)
- Grid scan
- Nested Sampling

[Lafaye, Plehn, MR,Zerwas]

[Eur.Phys.J.C54:617-644,2008, [arXiv:0709.3985 [hep-ph]]]

[JHEP08(2009)009 [arXiv:0904.3866 [hep-ph]]]

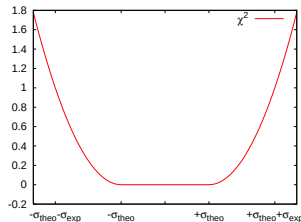
[Skilling; Feroz, Hobson]

## Errors:

- three types:
  - Gaussian – arbitrary correlations possible ( $\rightarrow$  systematic errors)
  - Poisson
  - box-shaped (RFit) [CKMFitter]
- assignment as in exp. studies
- adaption to likelihood input easy

## Output of SFitter:

- fully-dimensional log-likelihood map
- one- and two-dimensional distributions via
  - marginalization (Bayesian)
  - profile likelihood (Frequentist)
- list of best points



## ■ Bayesian

*“How likely is a given parameter value given the data?”*

- based on Bayes theorem:  $p(m|d) = p(d|m) \frac{p(m)}{p(d)}$ 
  - $p(m|d)$ : probability of the model, given the data
  - $p(d|m)$ : probability of the data, given the model (“ $\chi^2$ ”)
  - $p(d)$ : probability of the data, typically  $p(d) = 1$
  - $p(m)$ : probability of the model = prior
- prior  $p(m)$ : subjective quantity of initial knowledge/ignorance about parameters introduces measure in parameter space
- typical choices:
  - linear:  $p(m) \propto \text{const.}$ , flat in  $m$
  - logarithmic:  $p(m) \propto \frac{1}{m}$ , flat in  $\log(m)$
  - Gaussian:  $p(m) \propto \exp^{-(m-\bar{m})^2 / 2\sigma^2}$
- Nuisance Parameters:
  - parameters which are “uninteresting” (e.g. SM parameters)
  - Marginalization (integrating over them)

## ■ Frequentist

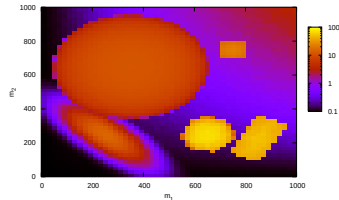
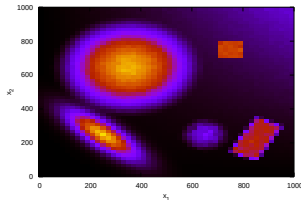
*“How probable is the data, given certain parameters?”*

- Bayesian *“How likely is a given parameter value given the data?”*
- Frequentist *“How probable is the data, given certain parameters?”*
  - Frequency interpretation of probability  
Infinite repetition of the same experiment, statistically independent results  
Outcome distributed around true value  
(Gaussian, Poisson for counting experiments, ...)
  - $x\%$  Confidence level: in  $x\%$  of the cases outcome at least as extreme
  - Defined only for single points in parameter space
  - Profile likelihood:  
Maximum likelihood over unseen parameters

Toy example (5-dim):

■ Bayesian (left)

*“How likely is a given parameter value given the data?”*



■ Frequentist (right)  
Objects:

*“How probable is the data, given certain parameters?”*

- Small Hypersphere  $r = 100$ ,  $V_{\max} = 75$  @ (650, 250, 350, 350, 350)
- Cuboid  $d = (173, 120, 200, 200, 200)$ ,  $V_{\max} = 60$  @ (850, 225, 650, 650, 650)
- Cube  $d = (100, 100, 300, 300, 300)$ ,  $V_{\max} = 25$  @ (750, 750, 450, 450, 450)
- Gaussian  $\sigma = (50, 150, 150, 150, 150)$ ,  $V_{\max} = 16$  @ (250, 250, 550, 550, 550)
- Big Hypersphere  $r = 300$ ,  $V_{\max} = 12$  @ (350, 650, 650, 650, 650)
- Background  $V = 0.1 + 4 \cdot 10^{-30} \cdot x_1^2 x_2^2 x_3^2 x_4^2 x_5^2$

# Higgs Couplings after Moriond 2013

7 TeV  $\mathcal{L} = 4.6\text{-}5.1 \text{ fb}^{-1}$

$\otimes$  8 TeV  $\mathcal{L} = 12\text{-}21 \text{ fb}^{-1}$

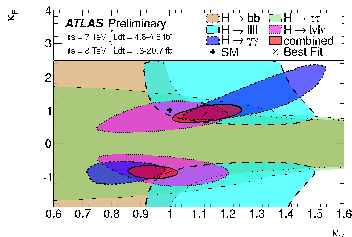
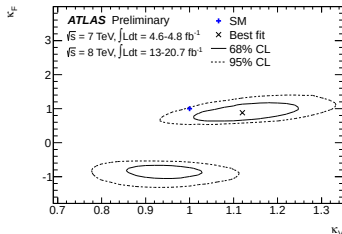
| ATLAS          |            | CMS            |             |
|----------------|------------|----------------|-------------|
| $\gamma\gamma$ |            | $\gamma\gamma$ | di-jet      |
| ZZ (4 $\ell$ ) |            | $\gamma\gamma$ |             |
| WW             | 0-jet      | ZZ (4 $\ell$ ) |             |
| WW             | 1-jet      | WW             | 0-jet       |
| WW             | 2-jet      | WW             | 1-jet       |
| $\tau\tau$     | 0-jet      | WW             | 2-jet       |
| $\tau\tau$     | 1-jet      | $\tau\tau$     | 0/1-jet     |
| $\tau\tau$     | VBF        | $\tau\tau$     | Boosted     |
| $\tau\tau$     | VH         | $\tau\tau$     | VBF         |
| $b\bar{b}$     | WH         | $b\bar{b}$     | WH          |
| $b\bar{b}$     | $Z_\ell H$ | $b\bar{b}$     | $Z_\ell H$  |
| $b\bar{b}$     | $Z_\nu H$  | $b\bar{b}$     | $Z_\nu H$   |
|                |            | $b\bar{b}$     | $t\bar{t}H$ |

| ATLAS                     |              | CMS                       |                        |
|---------------------------|--------------|---------------------------|------------------------|
| $\gamma\gamma$            | low- $p_T$   | $\gamma\gamma$            | Cat0                   |
| $\gamma\gamma$            | high- $p_T$  | $\gamma\gamma$            | Cat1                   |
| $\gamma\gamma$            | di-jet lml   | $\gamma\gamma$            | Cat2+3                 |
| $\gamma\gamma$            | di-jet hml   | $\gamma\gamma$            | di-jet tight           |
| $\gamma\gamma$            | di-jet tight | $\gamma\gamma$            | di-jet loose           |
| $\gamma\gamma$            | $E_T$ (miss) | ZZ $\rightarrow$ 4 $\ell$ |                        |
| $1\ell$                   |              | WW                        | 0-jet                  |
| ZZ $\rightarrow$ 4 $\ell$ |              | WW                        | 1-jet                  |
| WW                        | 0-jet        | WW                        | 2-jet                  |
| WW                        | 1-jet        | $\tau\tau$                | 0/1-jet                |
| WW                        | 2-jet        | $\tau\tau$                | Boosted                |
| $\tau\tau$                | 0-jet        | $\tau\tau$                | VBF                    |
| $\tau\tau$                | 1-jet        | $b\bar{b}$                | $Z_\ell H$ low- $p_T$  |
| $\tau\tau$                | Boosted      | $b\bar{b}$                | $Z_\ell H$ high- $p_T$ |
| $\tau\tau$                | VBF          | $b\bar{b}$                | $Z_\nu H$ low- $p_T$   |
| $\tau\tau$                | VH           | $b\bar{b}$                | $Z_\nu H$ high- $p_T$  |
| $b\bar{b}$                | WH           | $b\bar{b}$                | WH low- $p_T$          |
| $b\bar{b}$                | $Z_\ell H$   | $b\bar{b}$                | WH high- $p_T$         |
| $b\bar{b}$                | $Z_\nu H$    |                           |                        |

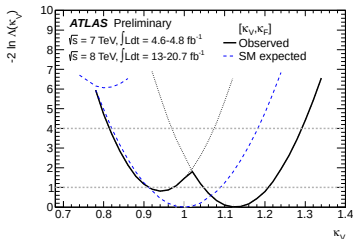
- background expectations, exp. errors, etc. from analyses
- cross-checked with exclusion and signal-strength plots

# Higgs Couplings – ATLAS

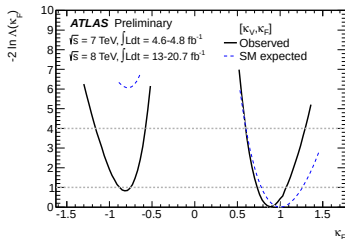
Correlation of the coupling scale factors  $\kappa_F$  and  $\kappa_V$



Coupling scale factor  $\kappa_V$



Coupling scale factor  $\kappa_F$

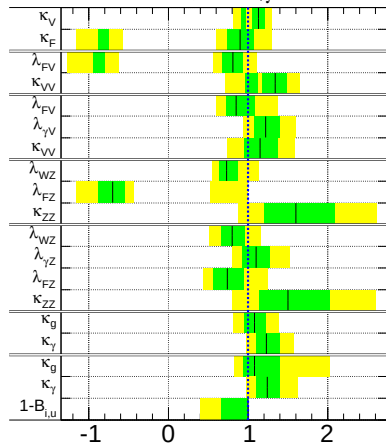




# Higgs Couplings – ATLAS

**ATLAS Preliminary**  $\sqrt{s} = 7 \text{ TeV}, \int \mathcal{L} dt = 4.6\text{-}4.8 \text{ fb}^{-1}$   
 $\sqrt{s} = 8 \text{ TeV}, \int \mathcal{L} dt = 13\text{-}20.7 \text{ fb}^{-1}$

■  $\pm 1\sigma$  ■  $\pm 2\sigma$



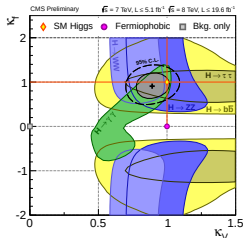
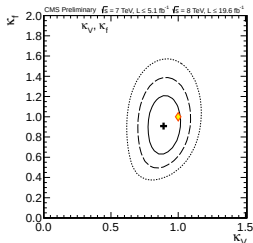
$m_H = 125.5 \text{ GeV}$

parameter value

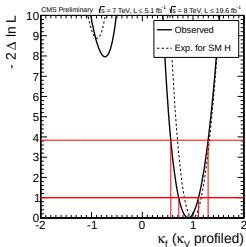
$$\kappa_{XX} = \frac{\kappa_X \cdot \kappa_X}{\kappa_H}$$

# Higgs Couplings – CMS

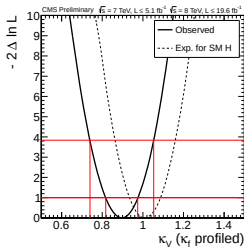
Correlation of the coupling scale factors  $\kappa_F$  and  $\kappa_V$

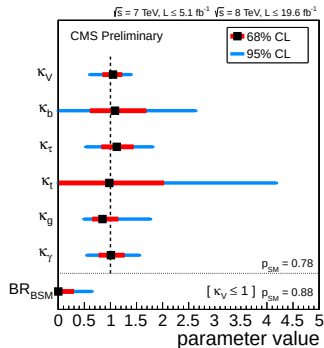
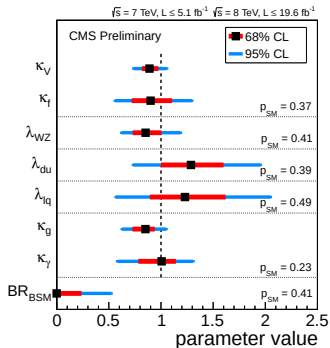


Coupling scale factor  $\kappa_V$



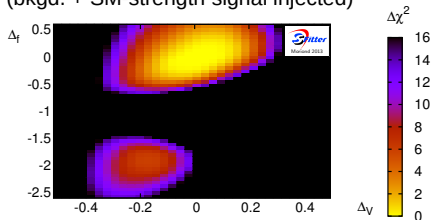
Coupling scale factor  $\kappa_F$





$\Delta_V$  vs.  $\Delta_f$

SM hypothesis  
(bkgd. + SM-strength signal injected)

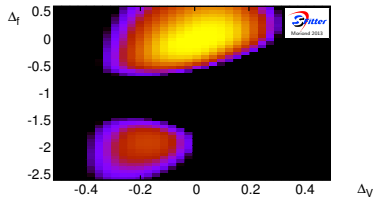


Expected 2012 results:

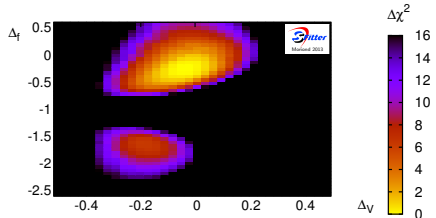
- Correct solution around SM value  
 $\Delta = 0$
- Secondary solution  
for opposite fermion coupling  
→ photon coupling enhanced
- $\sim 2.5\sigma$  discrimination power  
between both signs

$\Delta_V$  vs.  $\Delta_f$

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measured data



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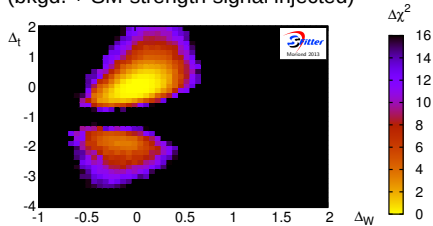
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2012 results:

- similar to expectation
- opposite-sign solution clearly  
disfavoured

$\Delta_W$  vs.  $\Delta_t$

SM hypothesis  
(bkgd. + SM-strength signal injected)

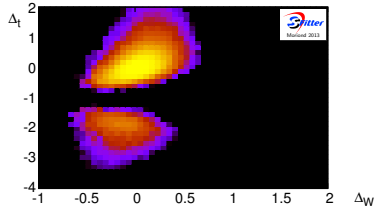


Expected 2012 results:

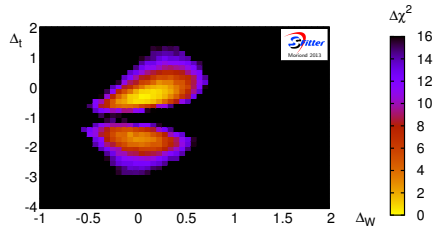
- Correct solution around SM value  
 $\Delta = 0$
- Secondary solution  
for flipped top Yukawa coupling  
→ photon coupling enhanced
- Large- $\Delta_t$  solution of 2011 killed  
by  $t\bar{t}H$ ,  $H \rightarrow b\bar{b}$  measurement

$\Delta_W$  vs.  $\Delta_t$

SM hypothesis  
(bkgd. + SM-strength signal injected)



measured data



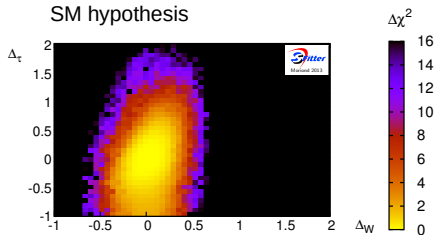
Expected 2012 results:

- Correct solution around SM value  
 $\Delta = 0$
- Secondary solution  
for flipped top Yukawa coupling  
→ photon coupling enhanced
- Large- $\Delta_t$  solution of 2011 killed  
by  $t\bar{t}H$ ,  $H \rightarrow b\bar{b}$  measurement

2012 results:

- similar to expectation
- flipped-top coupling basically  
equal log-likelihood
- small remnant of large- $\Delta_t$  solution

$\Delta_W$  vs.  $\Delta_\tau$



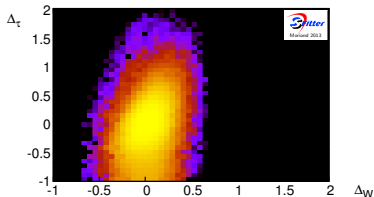
Expected 2012 results:

- Clear indication of non-vanishing  $H\tau\tau$  coupling

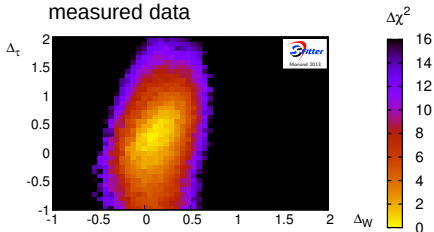


$\Delta_W$  vs.  $\Delta_\tau$

SM hypothesis



measured data

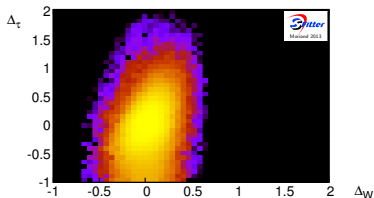


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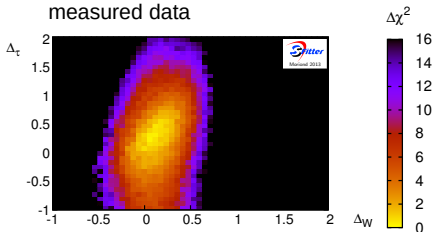
- Clear indication of non-vanishing  $H\tau\tau$  coupling
- Finally seen
- First direct evidence for coupling to fermions!

$\Delta_W$  vs.  $\Delta_\tau$

SM hypothesis



measured data



Expected 2012 results:

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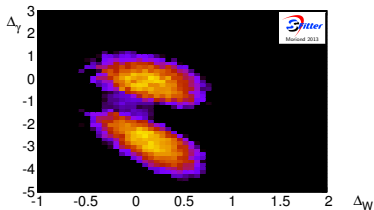
Best-fitting solutions:

| $\Delta_W$ | $\Delta_Z$ | $\Delta_t$ | $\Delta_b$ | $\Delta_\tau$ | $\chi^2/\text{d.o.f.}$ |
|------------|------------|------------|------------|---------------|------------------------|
| -0.11      | -0.04      | -0.20      | -0.27      | -0.04         | 15.8/58                |
| -0.26      | -0.02      | -1.70      | -0.30      | 0.03          | 16.8/58                |

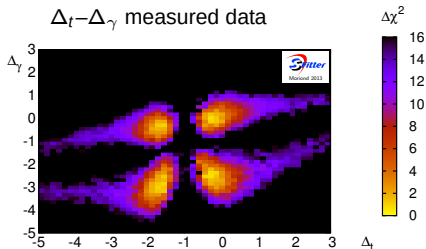
$$\chi^2(\text{SM}) = 16.4$$

Independent contribution to photon coupling  $\Delta_\gamma$

$\Delta_W - \Delta_\gamma$  measured data



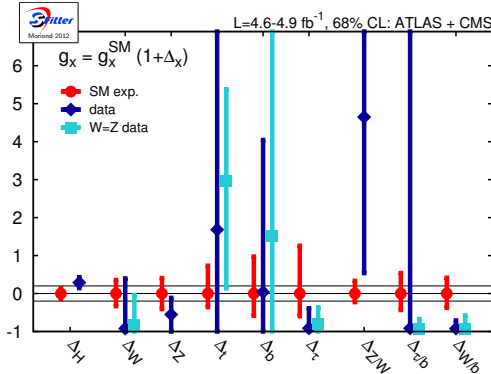
$\Delta_t - \Delta_\gamma$  measured data



Standard Model-like solution plus secondary flipped-sign solutions

(Anti-)correlations between parameters as expected

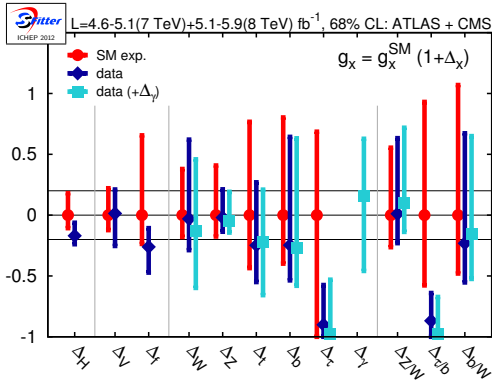
No surprising new features



■ One year ago ...  
(Moriond 2012)

- best-fit point from Markov-chain Monte Carlo
- Error bars: 5000 toy MC, 68% CL coverage
- horizontal lines:  $\pm 20\%$

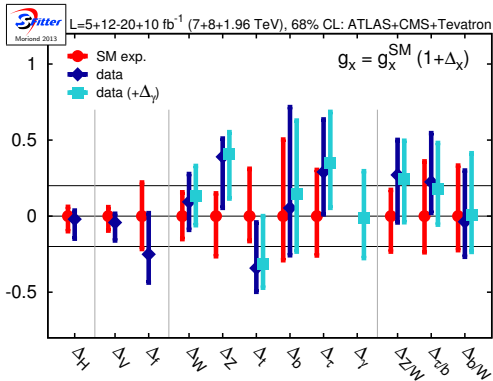
[see also Carmi *et al.* ; Asatov *et al.* ; Espinosa *et al.* ; Giardino *et al.* ; Ellis *et al.* ; Farina *et al.* ; ...]



■ Discovery ...  
(ICHEP 2012)

- best-fit point from Markov-chain Monte Carlo
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- horizontal lines: ±20%

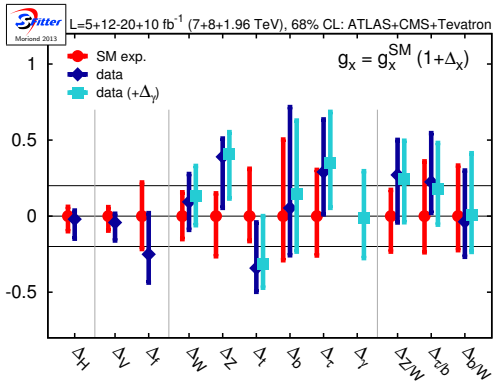
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- $\Delta_H$  already very precise
- $\Delta_V - \Delta_f$  also well determined

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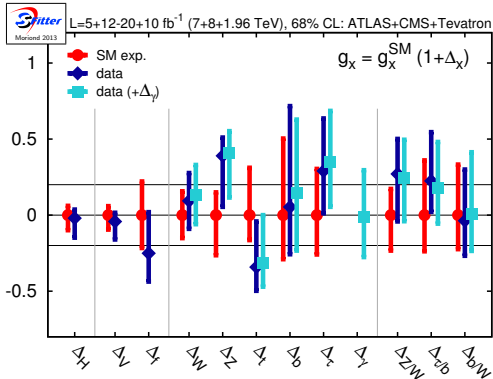
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- $g_b$  and  $g_t$  dependent on additional  $\Delta_\gamma$  contribution
- $g_\tau$  now SM-like as well
- ratios:  
no improvement over direct measurements but less assumptions

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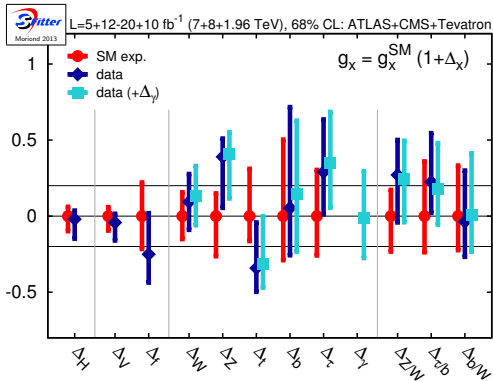


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- ratios:  
no improvement over direct measurements but less assumptions
- $g_\gamma$  possible  
 $\Delta_\gamma = 0.18$

[see also Carmi *et al.* ; Asatov *et al.* ; Espinosa *et al.* ; Giardino *et al.* ; Ellis *et al.* ; Farina *et al.* ; ...]





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 $\Delta_\gamma = 0.18$

Standard Model-like Higgs

[see also Carmi *et al.* ; Asatov *et al.* ; Espinosa *et al.* ; Giardino *et al.* ; Ellis *et al.* ; Farina *et al.* ; ...]

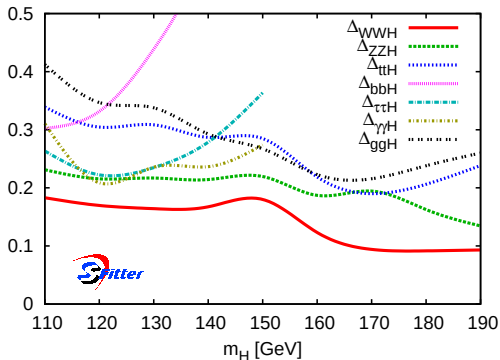
14 TeV expectations ( $30 \text{ fb}^{-1}$ )

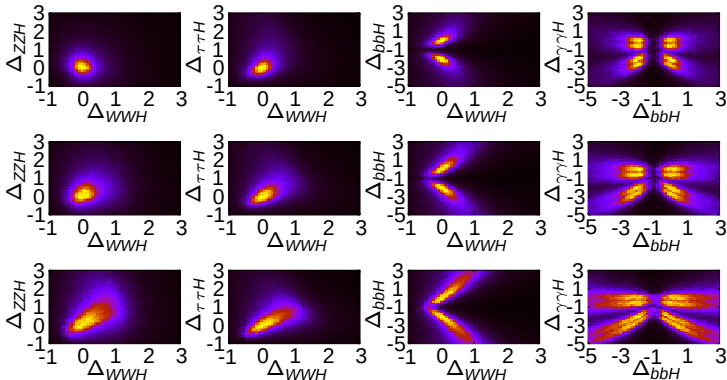
[Zeppenfeld, Kinnunen, Nikitenko, Richter-Was; Dührssen *et al.* ]

(Standard Model hypothesis)

| production         | decay                |
|--------------------|----------------------|
| $gg \rightarrow H$ | $ZZ$                 |
| $qqH$              | $ZZ$                 |
| $gg \rightarrow H$ | $WW$                 |
| $qqH$              | $WW$                 |
| $t\bar{t}H$        | $WW(3\ell)$          |
| $t\bar{t}H$        | $WW(2\ell)$          |
| inclusive          | $\gamma\gamma$       |
| $qqH$              | $\gamma\gamma$       |
| $t\bar{t}H$        | $\gamma\gamma$       |
| $WH$               | $\gamma\gamma$       |
| $ZH$               | $\gamma\gamma$       |
| $qqH$              | $\tau\tau(2\ell)$    |
| $qqH$              | $\tau\tau(1\ell)$    |
| $t\bar{t}H$        | $b\bar{b}$           |
| $WH/ZH$            | $b\bar{b}$ (subjett) |

[Lafaye, Plehn, MR, Zerwas, Dührssen 2009]





Top to bottom:  $VH, H \rightarrow b\bar{b}$  subset analysis with full strength

[Butterworth, Davison, Rubin, Salam; ATLAS-MC]

● sensitivity reduced by 50%

● subset analysis removed

↔ No test of subset analysis with data yet

Additional decays into “invisible” final states possible

$$\Gamma_{\text{tot}} = \Gamma_{\text{tot}}^{\text{SM}} + \Gamma_{\text{inv}} \equiv \Gamma_{\text{tot}}^{\text{SM}} (1 + \Delta_{\Gamma})$$

Can be compensated by global scaling of couplings

$$\sigma \cdot BR = \frac{\Delta_H^2}{1 + \frac{\Delta_{\Gamma}}{\Delta_H^2}} (\sigma \cdot BR)_{\text{SM}}$$

- Invisible Higgs decays actually observable

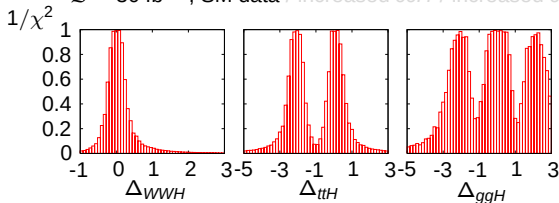
- Vector-Boson Fusion: tagging jets plus missing  $E_T$  [Eboli, Zeppenfeld]
- $WH/ZH$ : recoil against nothing [Choudhury, Roy; Godbole, Guchait, Mazumdar, Moretti, Roy; Englert, Spannowsky, Wymant]

- Unobservable decays into particles with large backgrounds (like  $H \rightarrow \text{jets}$ )

e.g. increased  $ccH$  coupling (corresponding to 15.4 GeV Yukawa coupling)

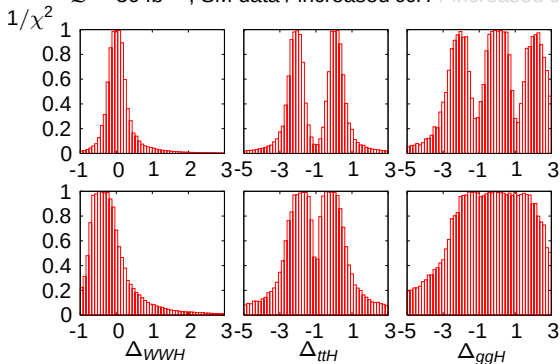
# Invisible vs. Unobserved

- Unobservable decays into particles with large backgrounds (like  $H \rightarrow \text{jets}$ )  
e.g. increased  $ccH$  coupling (corresponding to 15.4 GeV Yukawa coupling)  
 $\mathcal{L} = 30 \text{ fb}^{-1}$ , SM data / increased  $ccH$  / increased  $ccH$  plus free width



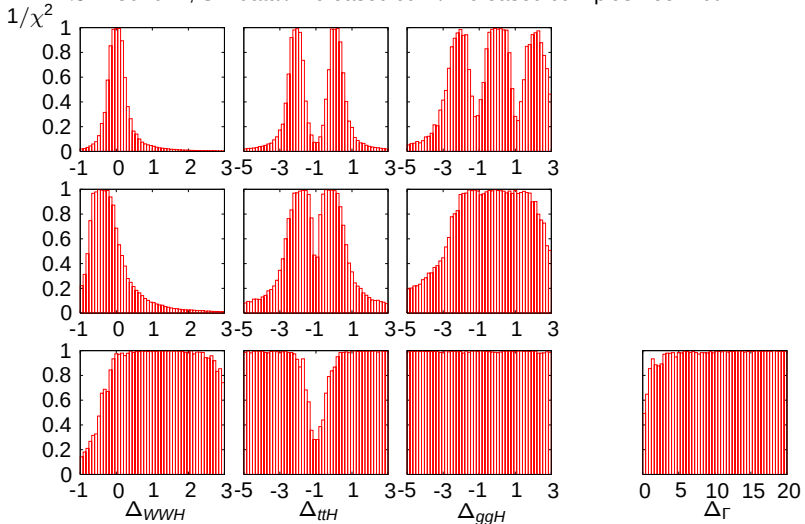
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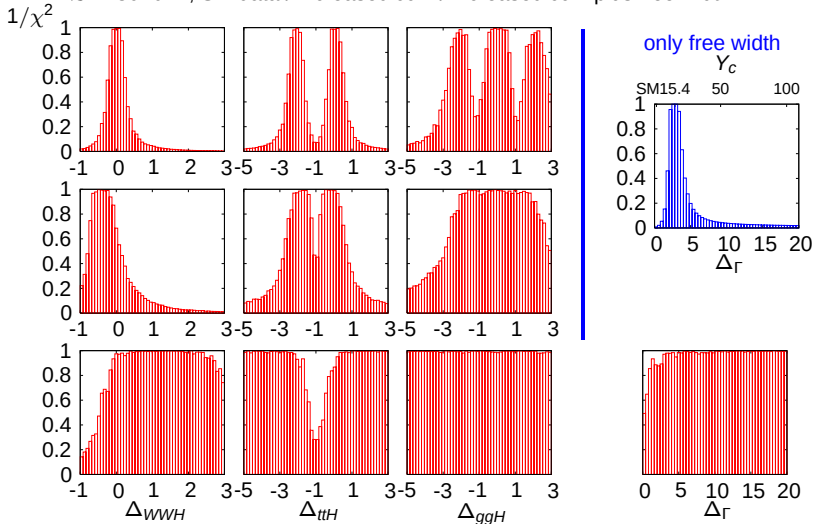
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# Invisible vs. Unobserved

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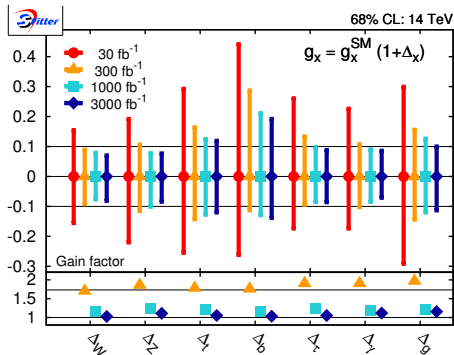




# LHC in the future

LHC high-luminosity run: 14 TeV, 3000 fb<sup>-1</sup>

Standard Model hypothesis



- extrapolation done blindly (only stat. improvements) starting from MC expectation at 14 TeV, 30 fb<sup>-1</sup>
- full set including effective couplings

- gain factor less than 3 (30→300 fb<sup>-1</sup>),  $\sqrt{3}$  (300→1000 fb<sup>-1</sup>, 1000→3000 fb<sup>-1</sup>)
- ⇒ statistical scaling does not apply any longer
- best obtainable precision  $\simeq 10\%$
- all couplings limited by systematic and theory error

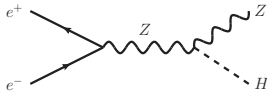
Linear Collider:

proposed first run:  $\sqrt{S} = 250 \text{ GeV}$ ,  $L = 250 \text{ fb}^{-1}$ ,  
upgrade to  $\sqrt{S} = 500 \text{ GeV}$ ,  $L = 500 \text{ fb}^{-1}$

ILC measurements (from DBD draft)

[Peskin (ed.) et al. ]

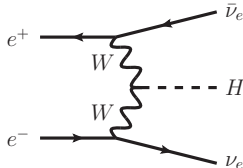
Main production mode  $ZH$



Allows measuring inclusive  $ZH$  cross section via recoil technique

(use all events where  $Z$  decay products kinematically compatible with  $ZH$  production;  
 $H$  decay products stay unobserved)

$WW$ -fusion channel



Important ingredient to reconstruct total width

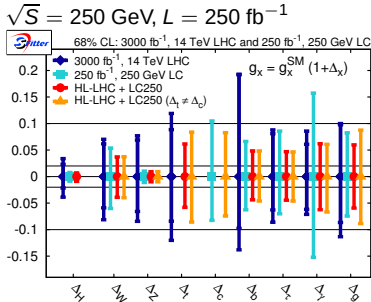
Combine four measurements

- 1 Higgs-strahlung inclusive ( $\sigma_{ZH}$ )
- 2 Higgs-strahlung,  $H \rightarrow b\bar{b}$  ( $\sigma_{Zbb}$ )
- 3 Higgs-strahlung,  $H \rightarrow WW$  ( $\sigma_{ZWW}$ )
- 4  $WW$ -fusion with  $H \rightarrow b\bar{b}$  ( $\sigma_{\nu\nu bb}$ )

and four unknowns  $\Delta_W$ ,  $\Delta_Z$ ,  $\Delta_b$ , and  $\Gamma_{\text{tot}}$ :

$$\Gamma_{\text{tot}} \leftarrow \frac{\sigma_{\nu\nu bb}/\sigma_{Zbb}}{\sigma_{ZWW}/\sigma_{ZH}} \times \sigma_{ZH}$$

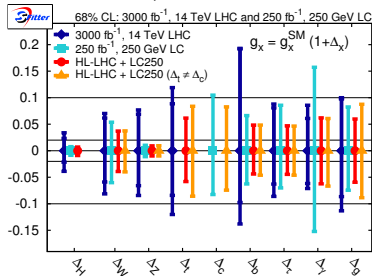
[Klute, Lafaye, Plehn, MR, Zerwas]



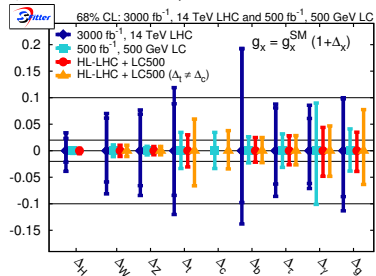
- reminder:  $\Delta_t = \Delta_c$   
(generation universality)
- LHC: no  $\Delta_c$   
(no obs. channel)
- ILC: no  $\Delta_t$   
(below  $t\bar{t}H$  threshold)

- dramatic improvement on  $\Delta_Z, \Delta_b$
- complementary: combination better than each alone
- testing  $\Delta_t \stackrel{?}{=} \Delta_c$  possible

$\sqrt{S} = 250 \text{ GeV}, L = 250 \text{ fb}^{-1}$



[Klute, Lafaye, Plehn, MR, Zerwas]  
+  $\sqrt{S} = 500 \text{ GeV}, L = 500 \text{ fb}^{-1}$



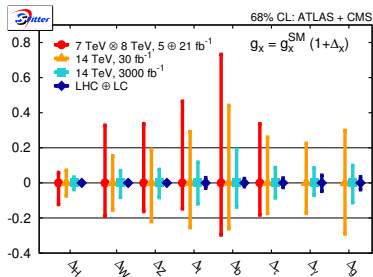
- dramatic improvement on  $\Delta_Z, \Delta_b$
- complementary: combination better than each alone
- testing  $\Delta_t \stackrel{?}{=} \Delta_c$  possible

+ 500 GeV run: ILC precision surpasses LHC everywhere



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- Need to scan high-dimensional parameter space
- $\Rightarrow$  SFitter [Lafaye, Plehn, MR, Zerwas]
- General Higgs couplings from modified version of HDecay [Djouadi, Kalinowski, Spira]
- Three scanning techniques:
  - Weighted Markov Chain
  - Cooling Markov Chain (equivalent to simulated annealing)
  - Gradient Minimisation (Minuit)
  - Nested Sampling [Skilling; Feroz, Hobson]
- Output of SFitter:
  - Fully-dimensional log-likelihood map
  - Reduction to plotable one- or two-dimensional distributions via both
    - Bayesian (marginalisation) or
    - Frequentist (profile likelihood) techniques
  - List of best points
- Also successfully used for SUSY parameter extraction studies [partly in coll. with Adam, Kneur, Turlay]

Input data [Dührssen (ATL-PHYS-2002-030), ATLAS CSC Note; CMS results comparable]

$m_H = 120 \text{ GeV}$ ;  $\mathcal{L} = 30 \text{ fb}^{-1}$

| production         | decay             | $S + B$ | $B$                   | $S$   | $\Delta S^{(\text{exp})}$ | $\Delta S^{(\text{theo})}$ |
|--------------------|-------------------|---------|-----------------------|-------|---------------------------|----------------------------|
| $gg \rightarrow H$ | $ZZ$              | 13.4    | $6.6 (\times 5)$      | 6.8   | 3.9                       | 0.8                        |
| $qqH$              | $ZZ$              | 1.0     | $0.2 (\times 5)$      | 0.8   | 1.0                       | 0.1                        |
| $gg \rightarrow H$ | $WW$              | 1019.5  | $882.8 (\times 1)$    | 136.7 | 63.4                      | 18.2                       |
| $qqH$              | $WW$              | 59.4    | $37.5 (\times 1)$     | 21.9  | 10.2                      | 1.7                        |
| $t\bar{t}H$        | $WW(3\ell)$       | 23.9    | $21.2 (\times 1)$     | 2.7   | 6.8                       | 0.4                        |
| $t\bar{t}H$        | $WW(2\ell)$       | 24.0    | $19.6 (\times 1)$     | 4.4   | 6.7                       | 0.6                        |
| inclusive          | $\gamma\gamma$    | 12205.0 | $11820.0 (\times 10)$ | 385.0 | 164.9                     | 44.5                       |
| $qqH$              | $\gamma\gamma$    | 38.7    | $26.7 (\times 10)$    | 12.0  | 6.5                       | 0.9                        |
| $t\bar{t}H$        | $\gamma\gamma$    | 2.1     | $0.4 (\times 10)$     | 1.7   | 1.5                       | 0.2                        |
| $WH$               | $\gamma\gamma$    | 2.4     | $0.4 (\times 10)$     | 2.0   | 1.6                       | 0.1                        |
| $ZH$               | $\gamma\gamma$    | 1.1     | $0.7 (\times 10)$     | 0.4   | 1.1                       | 0.1                        |
| $qqH$              | $\tau\tau(2\ell)$ | 26.3    | $10.2 (\times 2)$     | 16.1  | 5.8                       | 1.2                        |
| $qqH$              | $\tau\tau(1\ell)$ | 29.6    | $11.6 (\times 2)$     | 18.0  | 6.6                       | 1.3                        |
| $t\bar{t}H$        | $b\bar{b}$        | 244.5   | $219.0 (\times 1)$    | 25.5  | 31.2                      | 3.6                        |
| $WH/ZH$            | $b\bar{b}$        | 228.6   | $180.0 (\times 1)$    | 48.6  | 20.7                      | 4.0                        |

Last line obtained using subjet techniques ([Butterworth, Davison, Rubin, Salam]),  
theoretical results confirmed by ATLAS ([ATL-PHYS-PUB-2009-088])  
(stricter cuts, statistical significance basically unchanged)

# In the future

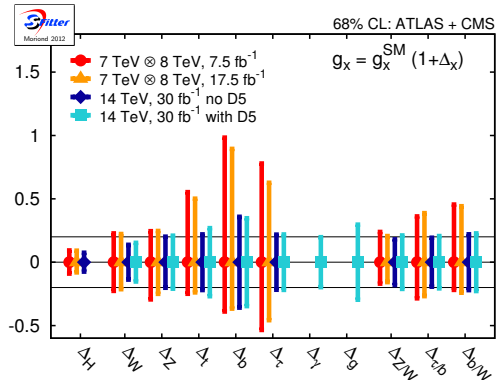
2012, 2014, ... (assuming  $m_H = 125$  GeV)

Scenarios: 2012<sub>low</sub>:  $(7.5 \text{ fb}^{-1}, 8 \text{ TeV}) \otimes (5 \text{ fb}^{-1}, 7 \text{ TeV})$   
 2012<sub>high</sub>:  $(17.5 \text{ fb}^{-1}, 8 \text{ TeV}) \otimes (5 \text{ fb}^{-1}, 7 \text{ TeV})$   
 2014:  $(30 \text{ fb}^{-1}, 14 \text{ TeV})$

Standard Model hypothesis

Extrapolation 7→8 TeV done blindly

(only statistical improvements, based on 2011 measurements)



- VBF measurements giving important information
- $t\bar{t}H$  and  $H \rightarrow b\bar{b}$  measurements
- $g_g$  and  $g_\gamma$  accessible independently

⇒ exciting prospects